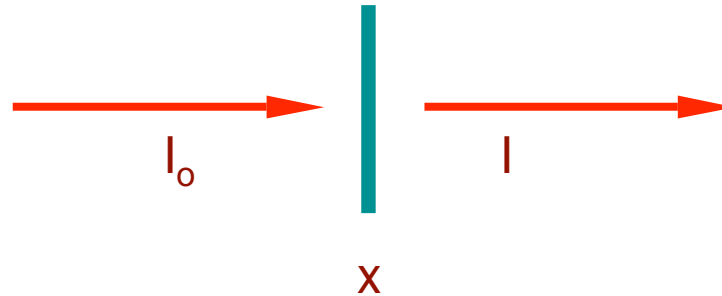


# Thickness?

In transmission:

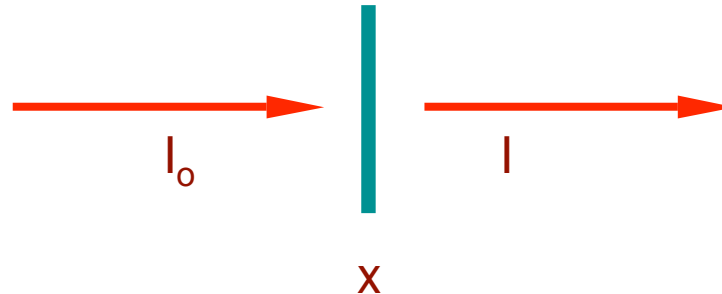


$$I/I_0 = \exp(-\mu\rho x) = \exp(-\mu^*x)$$

$\mu$  ( $= \mu^*/\rho$ ) = mass attenuation coefficient  
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Values for  $\mu$  can be found in a number of tables (e.g., Intl Tables for X-ray Crystallography)

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Also, scattering intensity built up by  $t^2$ , so

$$I \sim I_0 \exp(-\mu^*x) t^2$$

$$dI = \text{const. } I_0 (\exp(-\mu^*x)) (2 - \mu^*x) = 0$$

*optimum*  $x = 2/\mu^*$ ; more correct derivation gives  $1/\mu^*$

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Examples (for  $\text{CuK}\alpha$ ):

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$$\text{NiAl - optimum } x = 1/(((58.69/85.672) \times 49.3\text{cm}^2/\text{gm} + 0.315 \times 48.7\text{cm}^2/\text{gm}) \times 5.86\text{gm}/\text{cm}^3) = 0.035\text{mm}$$

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Examples (for CuK $\alpha$ ):

$$\text{Polyethylene - optimum } x = 1/(((12.011/14.077) \times 5.50\text{cm}^2/\text{gm} + 0.147 \times 0.44\text{cm}^2/\text{gm}) \times 1.0\text{gm}/\text{cm}^3) = 2.1\text{mm}$$

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Examples (for  $\text{CuK}\alpha$ ):

$$\text{Quartz} - \text{optimum } x = 1/(((28.086/60.086) \times 60.3 \text{cm}^2/\text{gm} + 0.533 \times 12.7 \text{cm}^2/\text{gm}) \times 2.65 \text{gm}/\text{cm}^3) = 0.11 \text{mm}$$



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$$\text{Water - optimum } x = 1/(((16/18.016) \times 12.7\text{cm}^2/\text{gm} + 0.112 \times 0.44\text{cm}^2/\text{gm}) \times 1\text{gm}/\text{cm}^3) = 0.88\text{mm}$$

# Thickness?

Metals & alloys

*optimum  $x = 10-50\mu = 0.01-0.05 \text{ mm}$*

generally cut, ground, & polished

very carefully - avoid poor surface finish

polycrystalline mats - grain size should be small

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## Polymers

*optimum  $x = 1-2\text{mm}$*

slice, microtome

Water solutions ~ 1 mm thick