

## 5.2 ADVECTION (Convection - movement by "bulk" motion of the fluid (water))

$$v_x^a = -\frac{K_x}{n} \frac{dh}{dx} \quad (1)$$

$v_a$  = average linear advective velocity

$n$  = "effective" porosity

no-dead-end pores.

Advective flux;  $F_x$ .

$$F_x = v_x^a n c \quad (2)$$

volume of water flowing at concentration,  $c$ .

Conservation equation:

$$n \frac{\partial c}{\partial t} = -\left( \frac{\partial F_x}{\partial x} + \frac{\partial F_y}{\partial y} + \frac{\partial F_z}{\partial z} \right) \quad (3)$$

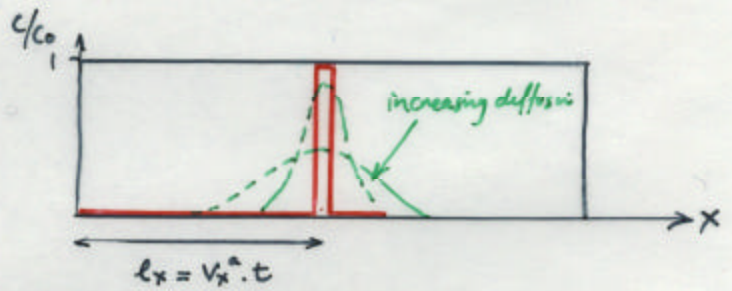
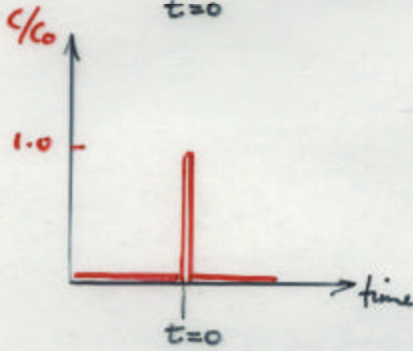
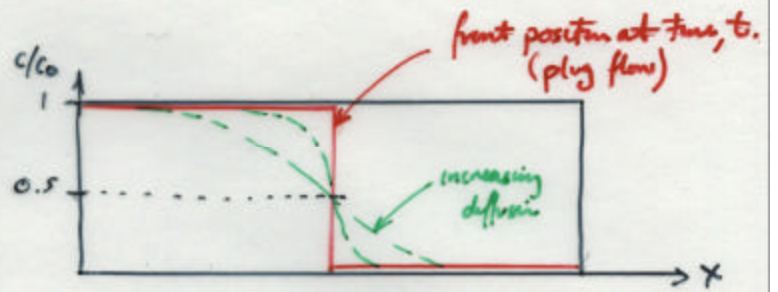
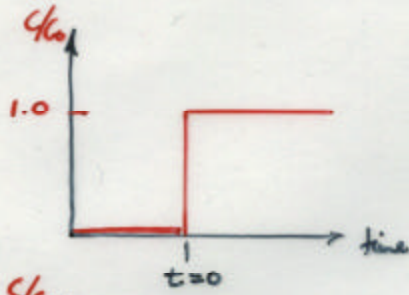
Substitute  $v_x^a$  from (2) and similar for  $v_y^a$ ;  $v_z^a$  into (3)

$$n \frac{\partial c}{\partial t} = -\left( \underbrace{v_x^a n}_{v_d} \frac{\partial c}{\partial x} + v_y^a n \frac{\partial c}{\partial y} + v_z^a n \frac{\partial c}{\partial z} \right) \quad (4)$$

Remove,  $n$  in (4)

$$\frac{\partial c}{\partial t} = -\left( v_x^a \frac{\partial c}{\partial x} + v_y^a \frac{\partial c}{\partial y} + v_z^a \frac{\partial c}{\partial z} \right) \quad (5)$$

What does this mean, physically?



Boundary conditions